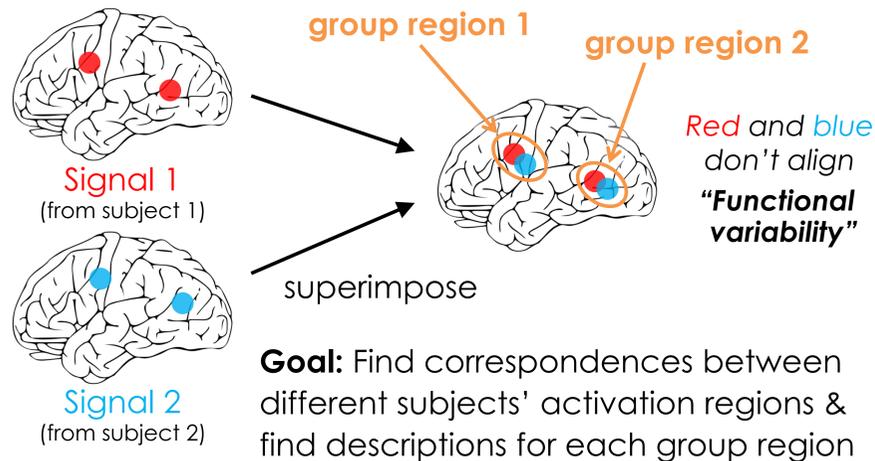


Motivation

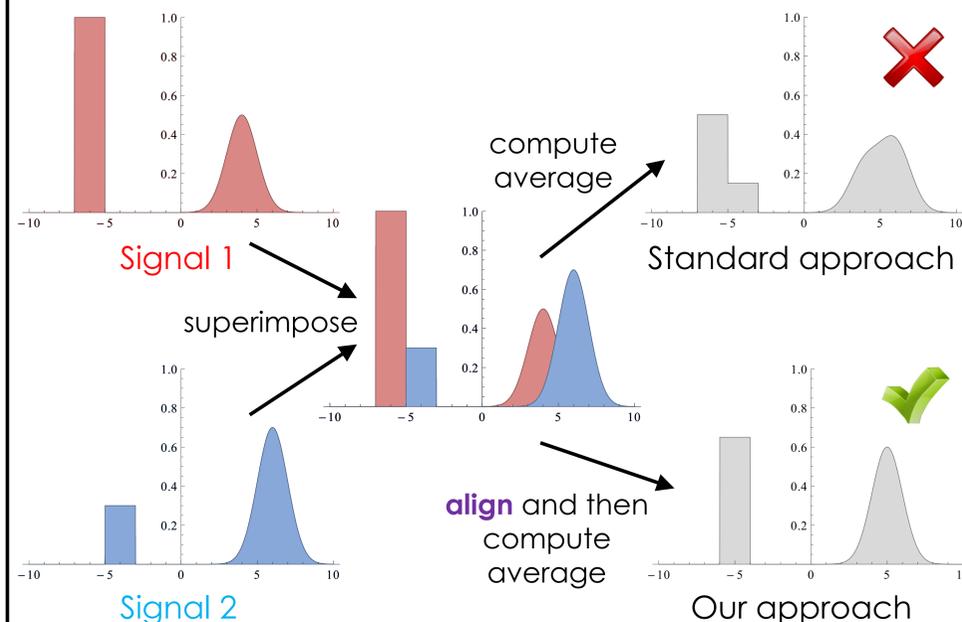
How do we model population-level brain response to a given cognitive task such as reading sentences?

Challenge: Even if we pre-aligned brains (so everyone has the same brain), brain activations due to a cognitive task can vary in location in the normalized space!



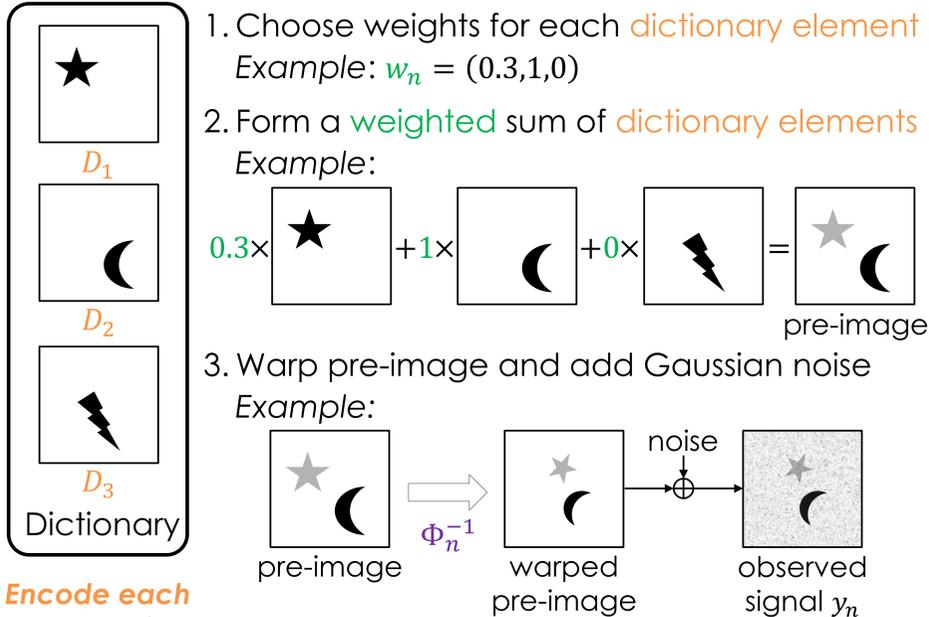
Toy Example

Want to recover box and Gaussian bump



Model

Generative process for signal $n = 1, \dots, N$:



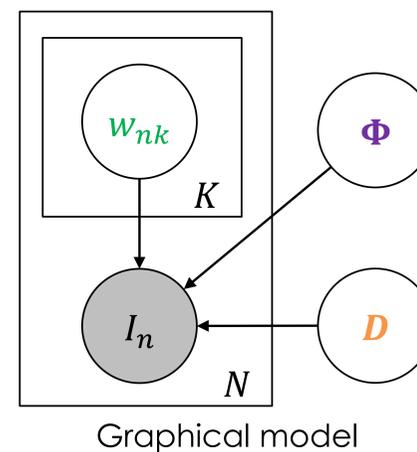
Encode each group region as a dictionary element!

$$y_n = \left(\sum_{k=1}^K w_{nk} D_k \right) \circ \Phi_n^{-1} + \text{noise}$$

w_n sparse, no deformations \rightarrow sparse coding

Choice of Priors

- Weights w_n : **sparse**
- Deformations Φ_n : exploit **existing image alignment algorithms**
 \rightarrow recovery dictionary elements up to small deformation
- Dictionary elements D : **sparse, smooth, localized, diverse**



Goal: Find **dictionary** & **deformations** maximizing $p(D, \Phi | y)$
 \rightarrow use *EM-like inference algorithm*
(iterate between updating weights, deformations, dictionary)

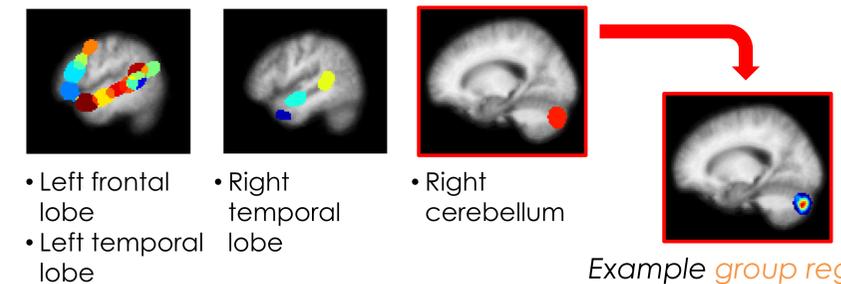
Results

Language processing data:

- Substantial functional variability!
- 82 subjects reading sentences vs. non-words
- Observed signals y_n are t -statistic images from standard fMRI preprocessing
 \rightarrow higher intensity at voxel implies higher statistical significance for language processing at that voxel

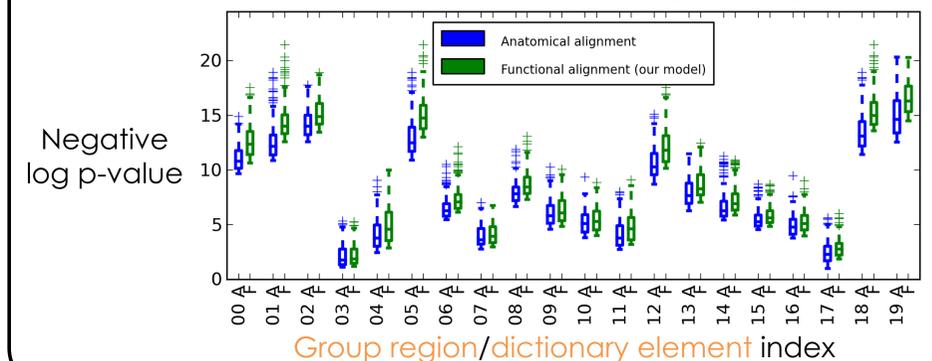
1. Estimated **group regions** \rightarrow agree with known literature

Spatial support of group regions (in different colors)



2. Estimated **deformations** \rightarrow more robust group effects

Statistical significance within group regions



Contributions

- Extended sparse coding to handle deformations
- Uses existing image alignment algorithms as subroutine
- Can be interpreted as aligning a group with images with spatially adaptive intensity equalization
- Applied model to functional neuroimaging data