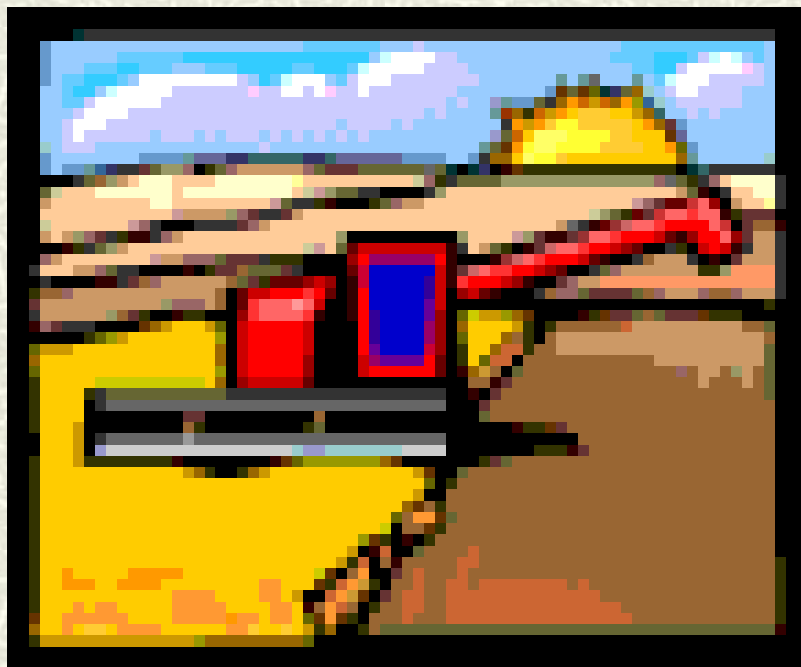
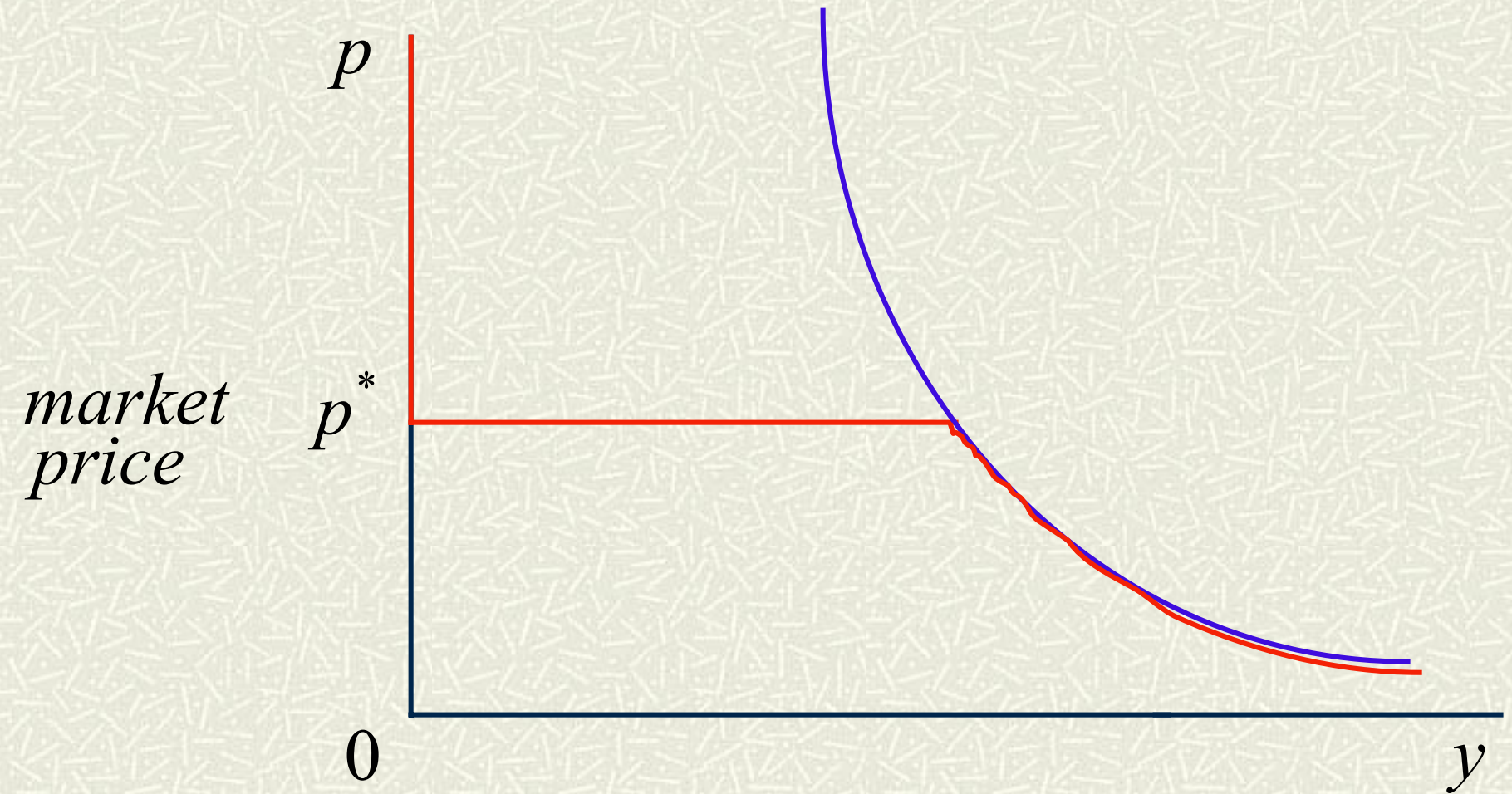


# Firm Supply



- # Demand Curve Facing Competitive Firm
- # Supply Decision of a Competitive Firm
- # Producer's Surplus and Profits
- # Long-Run

# The Demand Curve Facing a Competitive Firm



# Supply Decision of a Competitive Firm

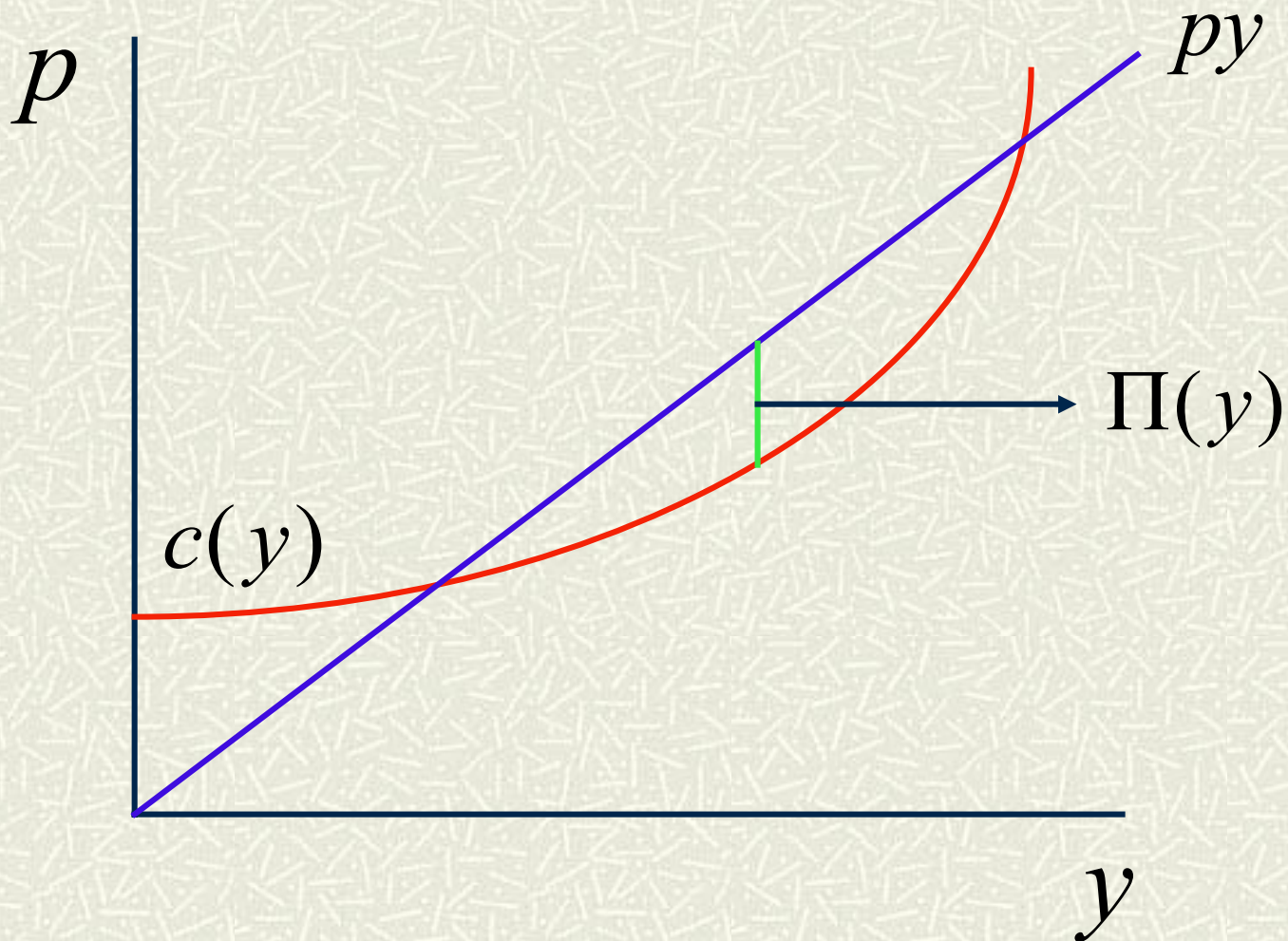
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# Problem of a competitive firm:

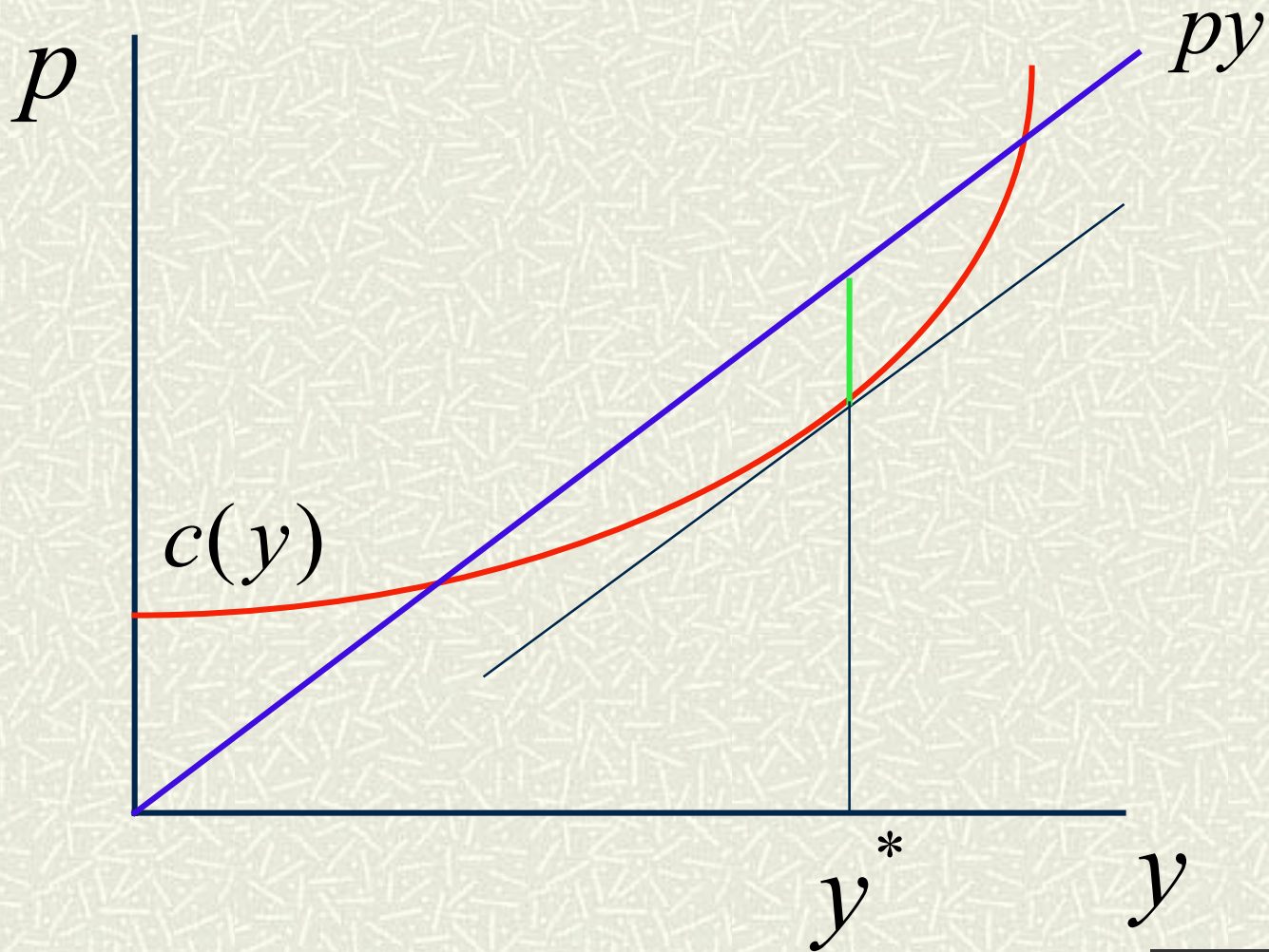
$$\max_y py - c(y)$$



# Revenues, Costs, and Profits



# Maximum Profits



# Optimal Quantity Supplied

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# Firm maximizes:

$$\max_y py - c(y)$$

# **Necessary** condition for optimal choice:

$$p = \frac{\partial c(y)}{\partial y} = MC(y)$$



# An Example

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# Short-run cost function:

$$c(y) = y^2 + 1$$

# Marginal cost function:

$$MC(y) = 2y$$

---

# An Example

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# Average variable costs:

$$AVC(y) = \frac{y^2}{y} = y$$

# Average costs:

$$AC(y) = \frac{y^2}{y} + \frac{1}{y} = y + \frac{1}{y}$$

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# An Example

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# Profit maximization:

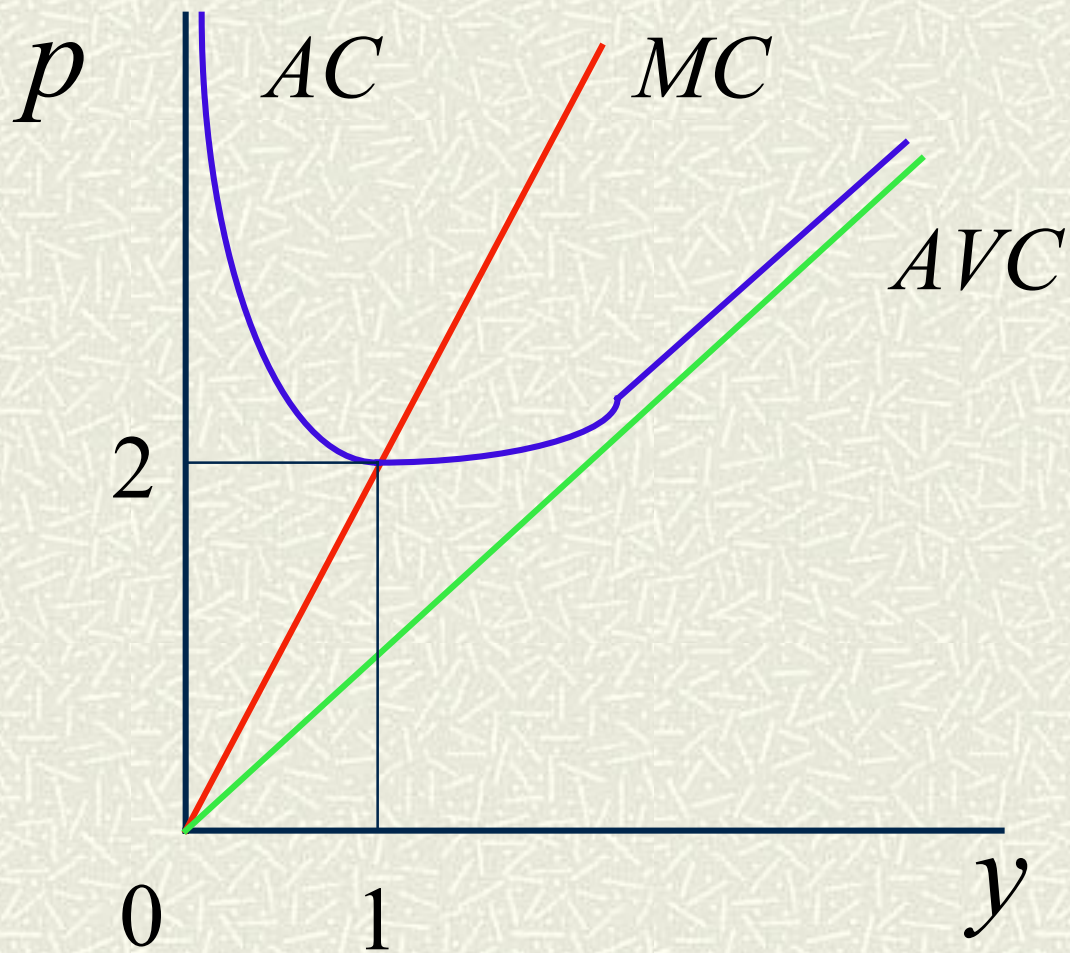
$$\max_y py - (y^2 + 1)$$

# Necessary condition:

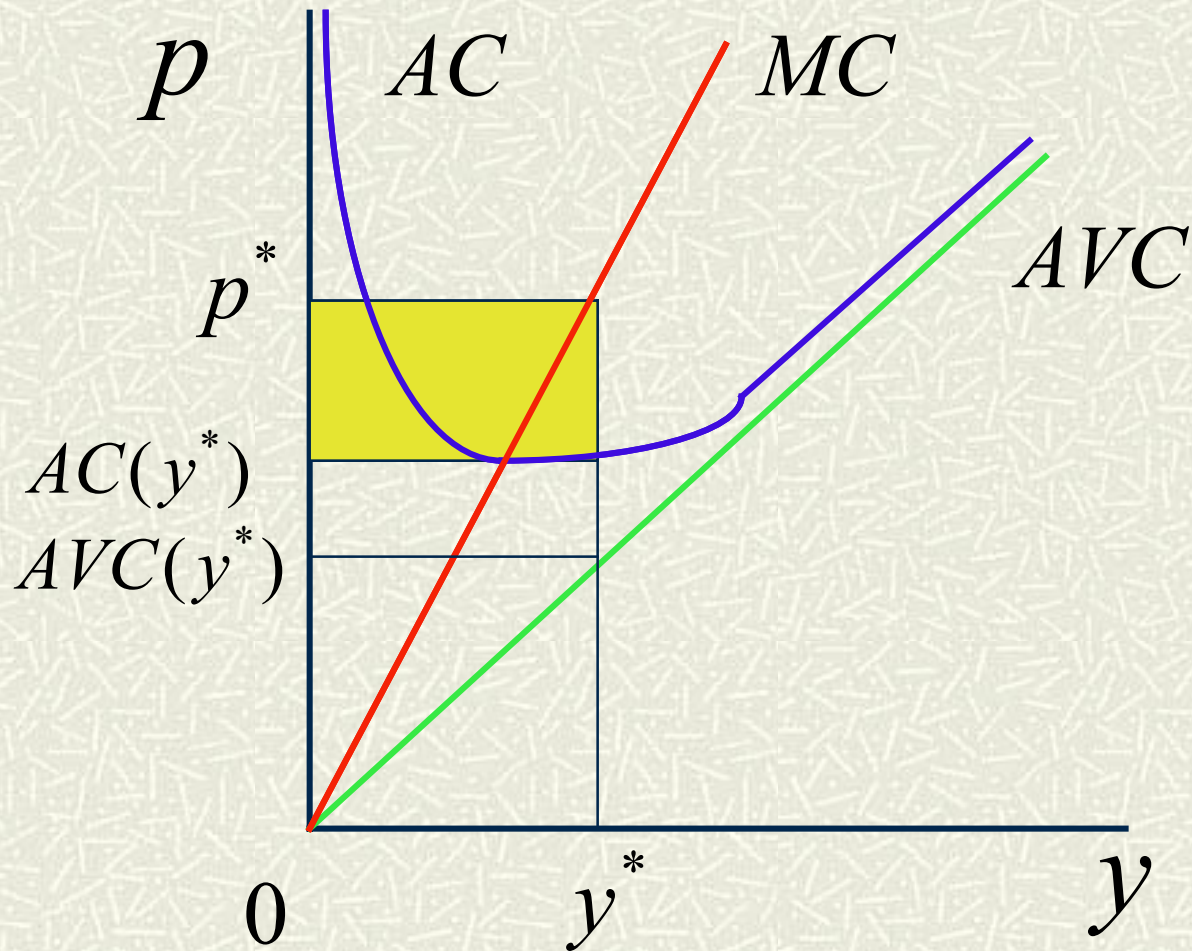
$$p = 2y$$

---

# An Example



# An Example: Profits





# Producer's Surplus

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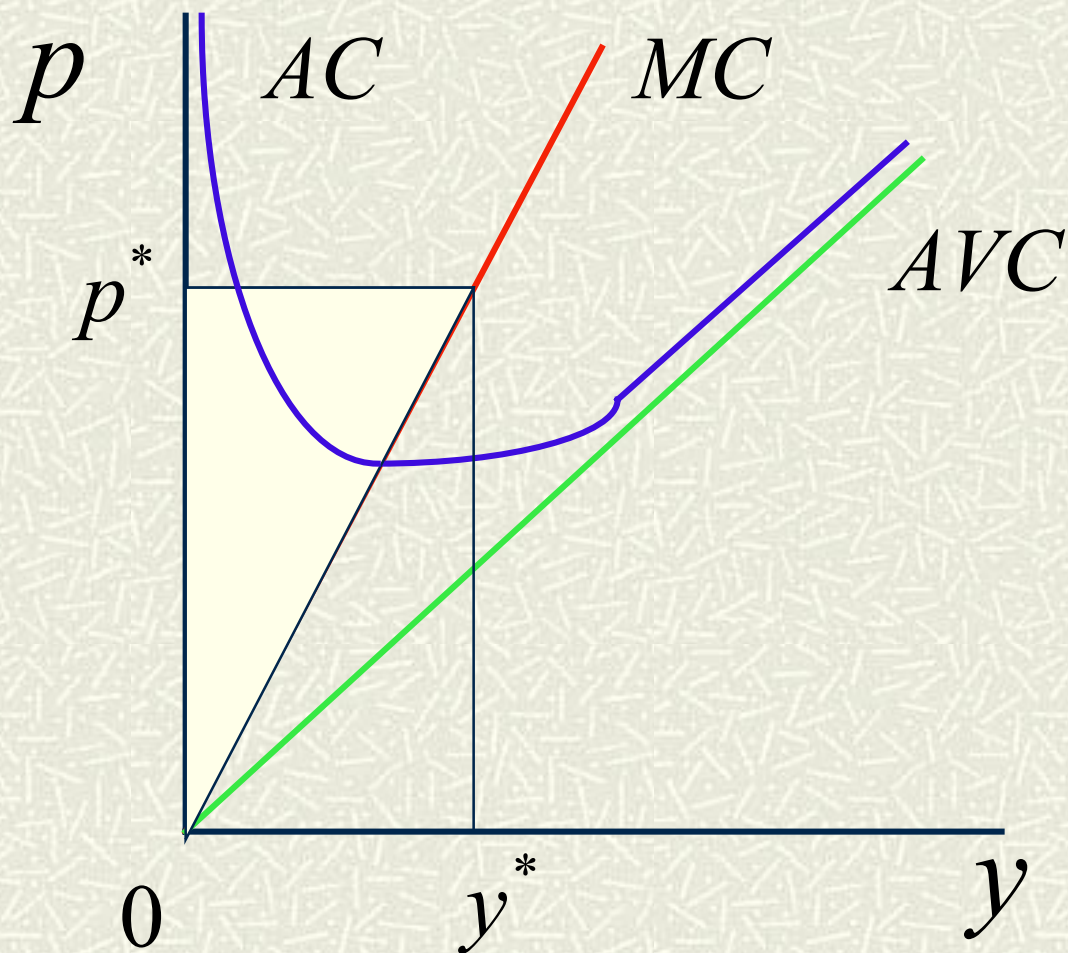
# Producer's surplus=Area below price above supply curve

# Alternatively:  $py^*$  — below supply curve

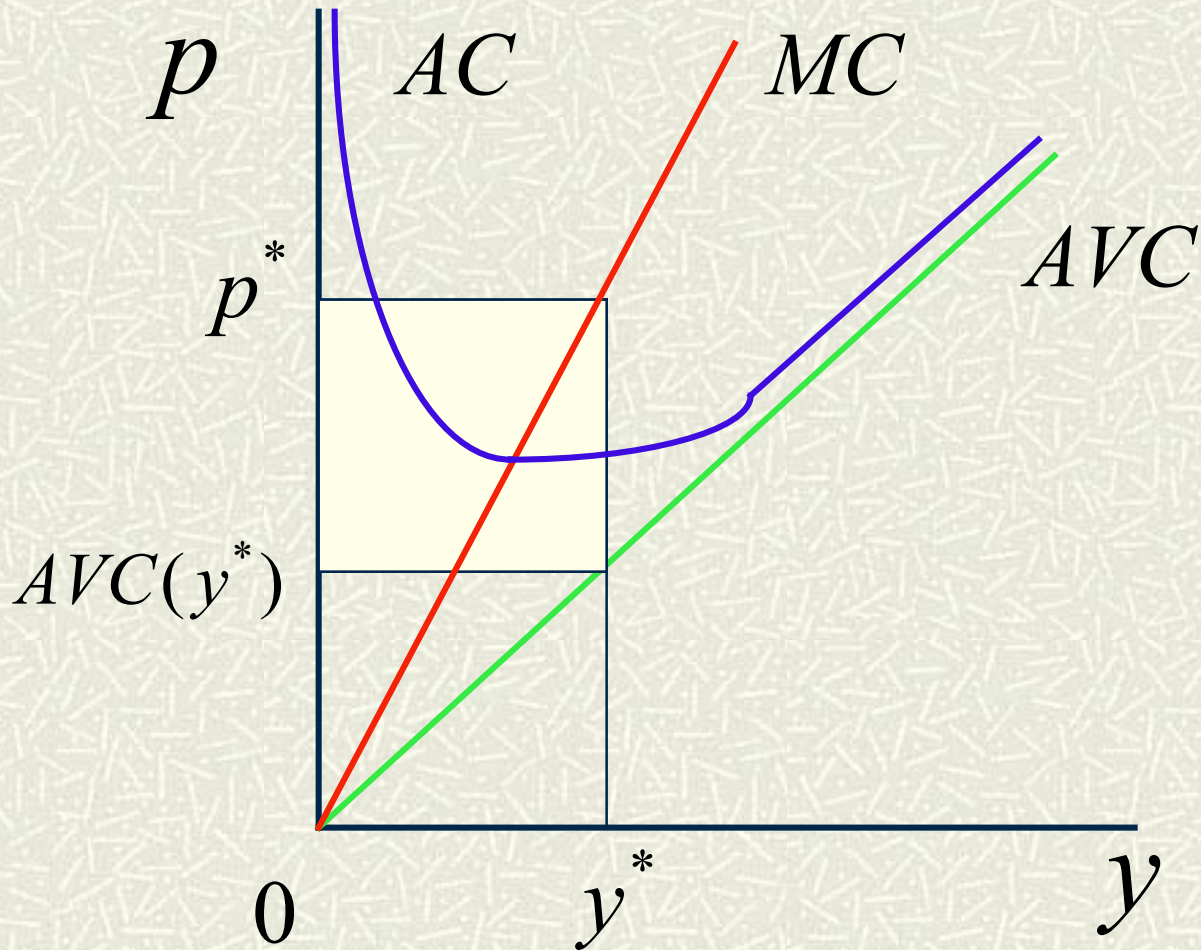
where area below supply curve (MC):

$$c_v(y^*)$$

# An Example: Producer's Surplus



# An Example: Producer's Surplus





# Producer's Surplus and Profits

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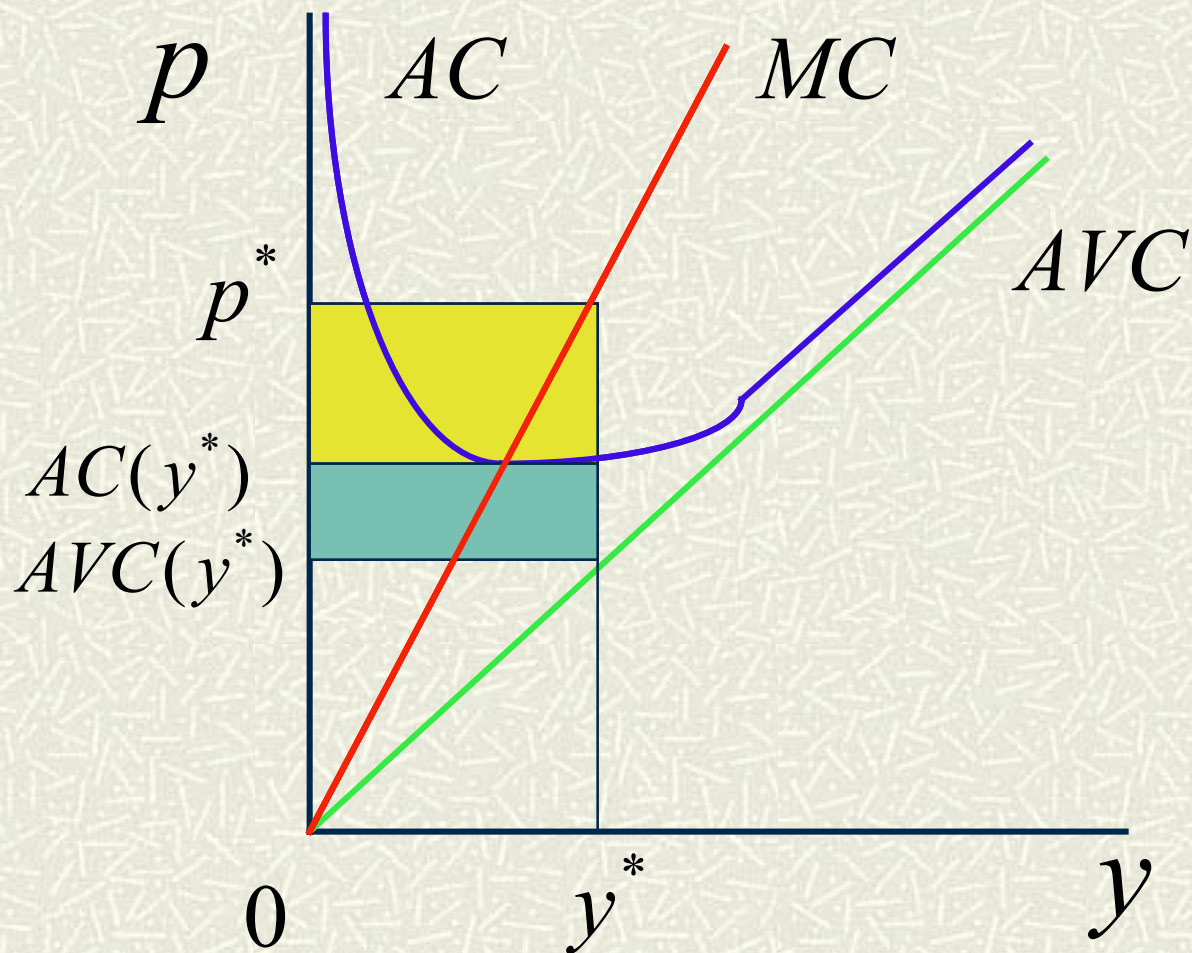
# Producer's surplus:

$$py^* - c_v(y^*)$$

# Profits:

$$py^* - c_v(y^*) - F$$

# An Example: Producer's Surplus and Profits



# An Example

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# Output:

$$y^* = \frac{p^*}{2}$$

# Profits:

$$\Pi = py^* - (y^{*2} + 1) = \frac{(p^*)^2}{4} - 1$$

---



# An Example

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# Profits:

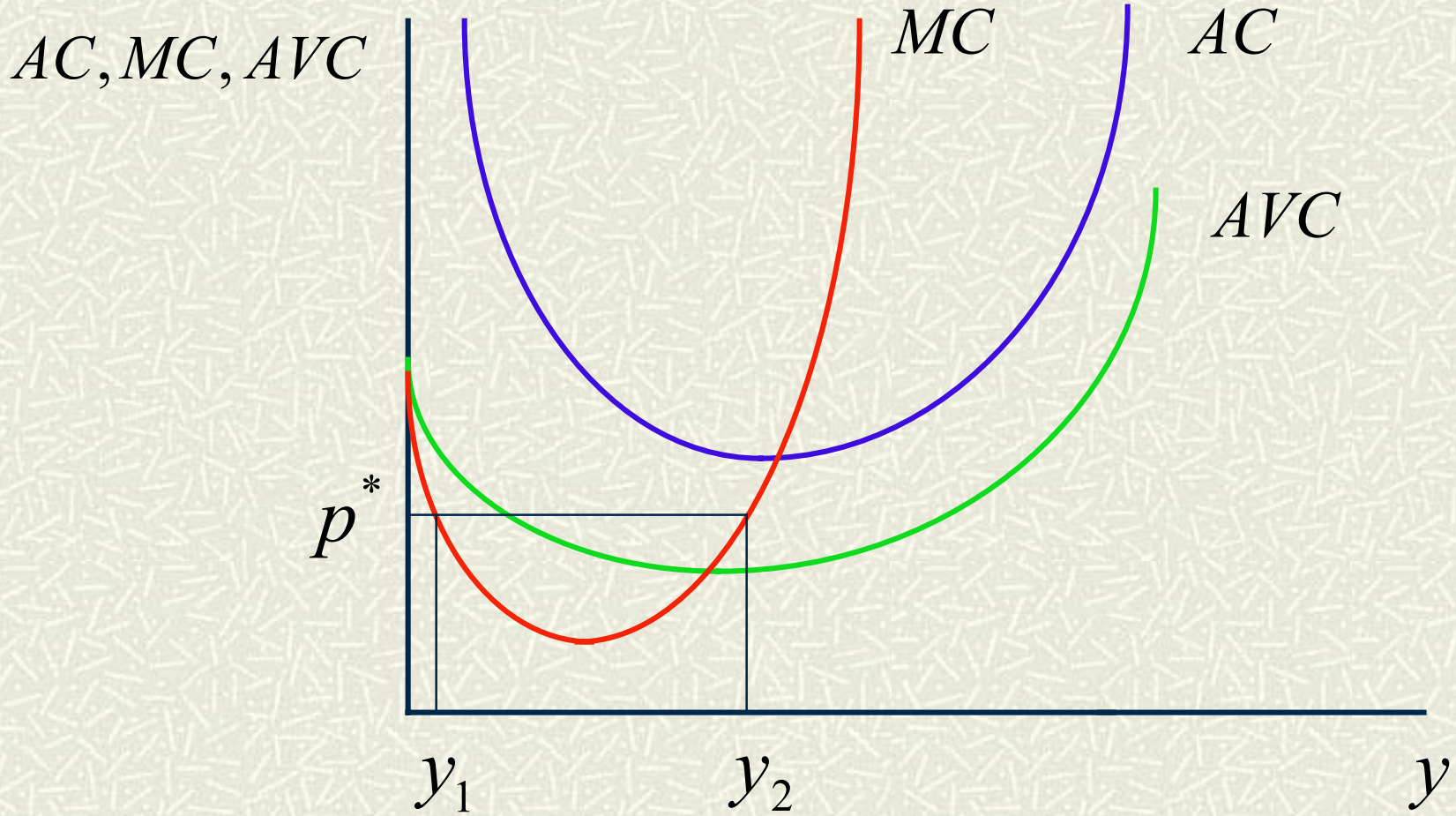
$$\Pi = \frac{(p^*)^2}{4} - 1$$

# Producer's surplus:

$$\frac{1}{2} p^* \left( \frac{p^*}{2} \right) = \frac{(p^*)^2}{4}$$

---

# One Exception: $y_1$ or $y_2$ ?



# A Second Exception: Shutdown!

---

# Profits if firm produces:

$$\Pi = py^* - c_v(y^*) - F$$

# Profits if firm does not produce:

$$\Pi = -F$$

# Producing is better if:  $py^* - c_v(y^*) > 0$

---



# A Second Exception: Shutdown!

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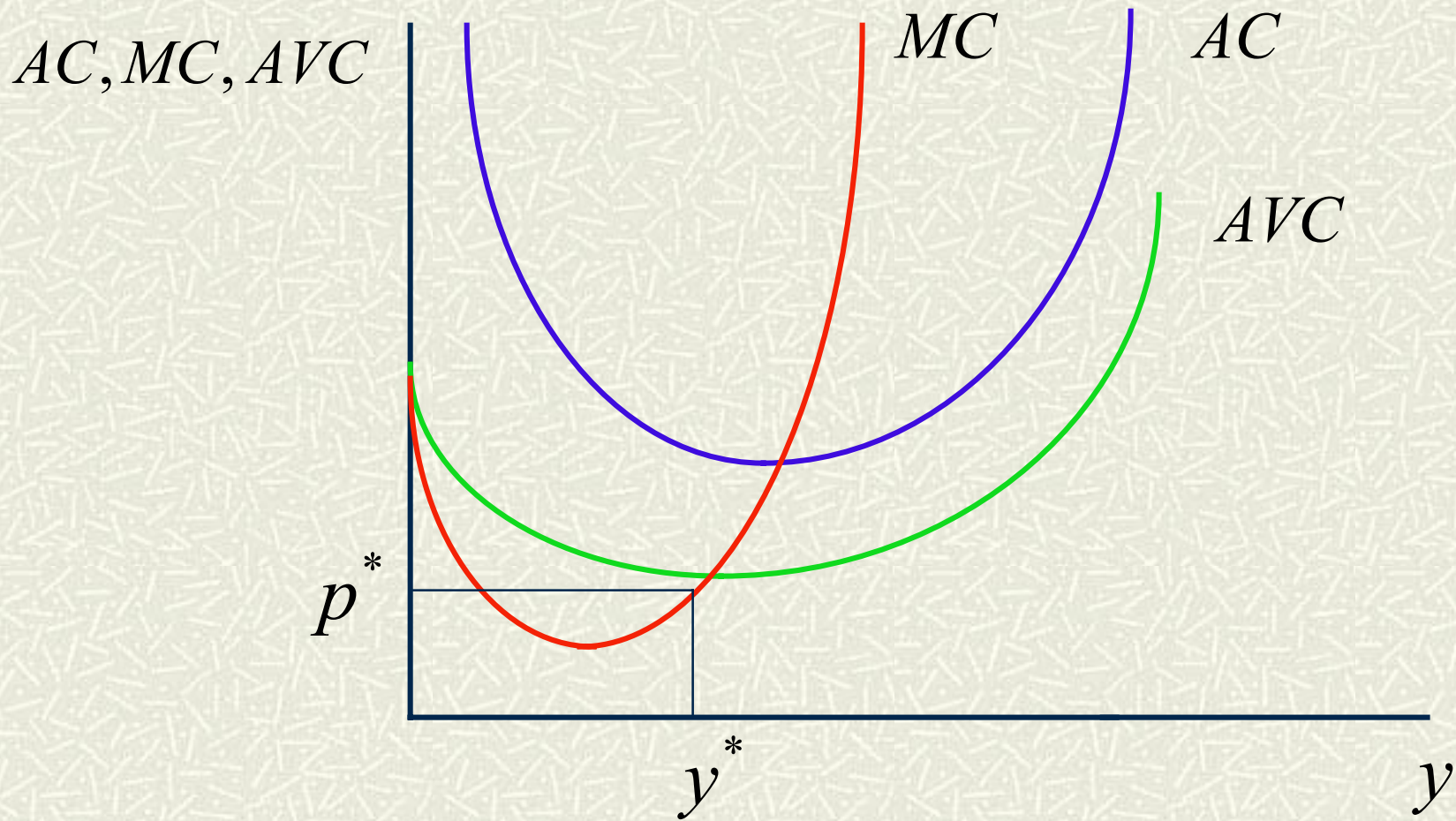
# Producing is better if:

$$py^* - c_v(y^*) > 0$$

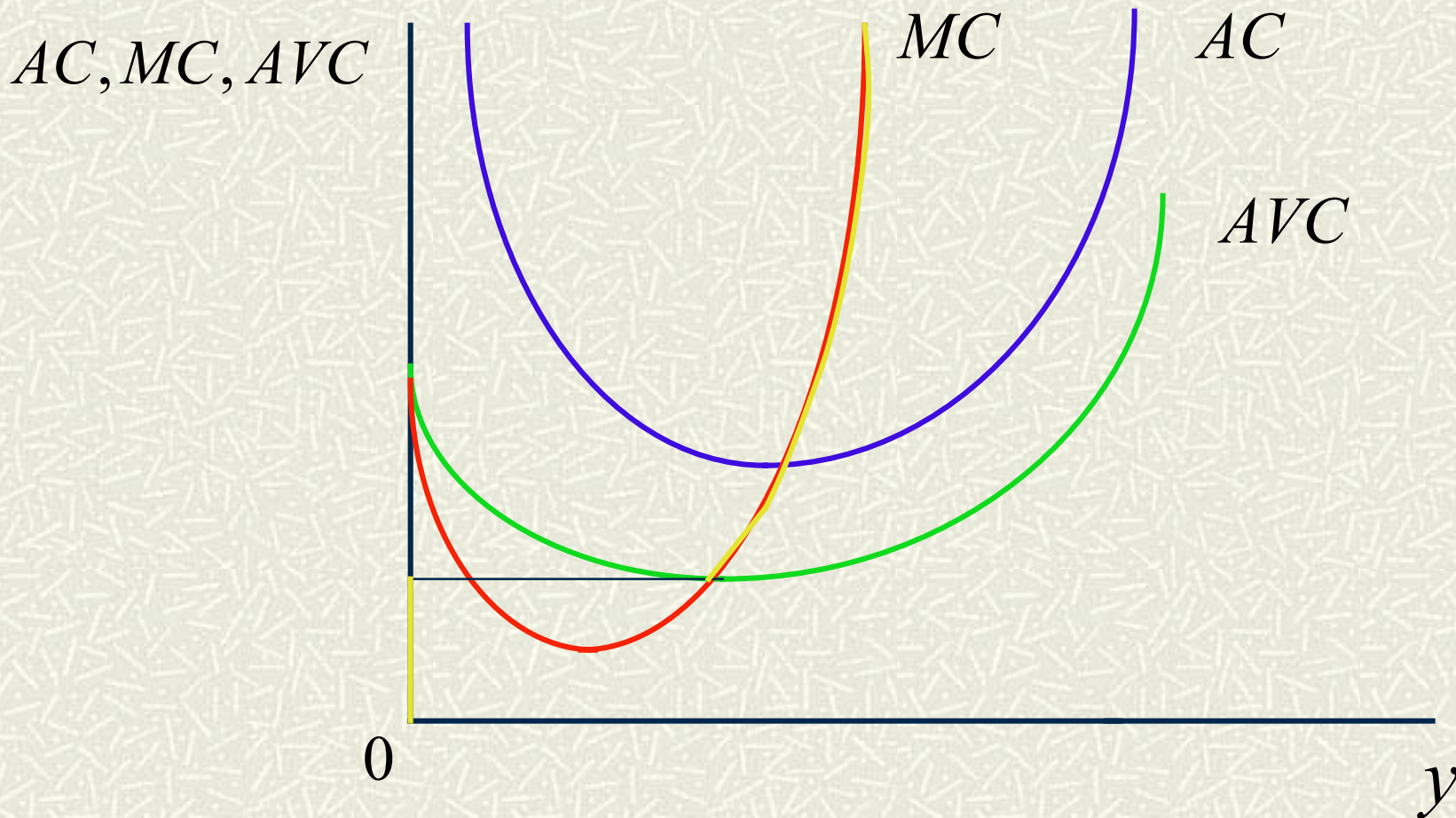
# Rearrange. Produce only if:

$$p > \frac{c_v(y^*)}{y^*}$$

# Shutdown

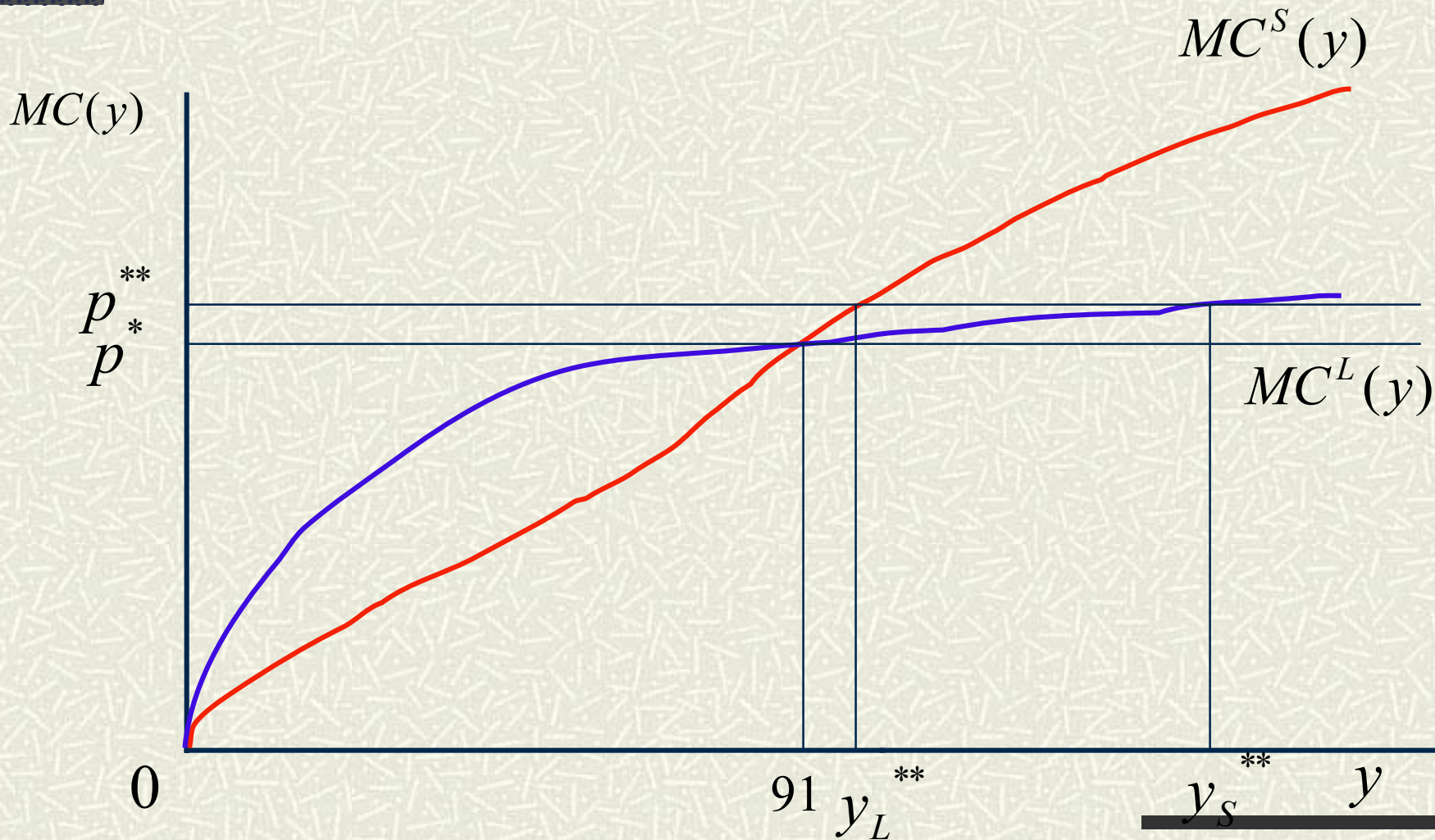


# The Firm's Supply Curve





# Long and Short Run Supply in Consultant Firm Example



# Shutdown in the Short-Run and in the Long-Run

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# In the short-run, the shutdown condition is:

$$p < \frac{c_v(y^*)}{y^*} = AVC(y^*)$$

# In the long-run, the shutdown condition is:

$$p < \frac{c(y^*)}{y^*} = AC(y^*)$$

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