## Genetic Algorithms (GAs)

Developed by John Holland, 1975

Holland, John. 1975 "Adaption in Natural and Artificial Systems" www.obitko.com/tutorials/genetic-algorithms/index.php



A **genetic algorithm** is inspired by Darwin's theory of evolution – by the biological process of evolution

Problems tackled by a genetic algorithm have solutions that evolve

i.e., computationally, by a simulated evolutionary process

Has utilization for optimization and machine learning

Features:

- **Stochastic**: different results from different runs
- Maintain a population of solutions at each time
- Solutions are encoded as chromosomes
- Crossover and mutation operate during the reproduction.
- Survival of the fittest

## Genetic Algorithms (GAs)

Problems tackled by a genetic algorithm have solutions that evolve

i.e., computationally, it is **simulated evolutionary process** 

The process starts with a given **population** expressed as a set of **solutions** (represented by **chromosomes**).

At each stage in the process, solutions from one populations are taken to form a new population. This is motivated by a hope, that the new population will be better than the old one.

Solutions which are selected to reproduce new solutions (**offsprings**) are selected according to their **fitness** - the more suitable they are the more chances they have to reproduce.

This process is repeated until some condition is satisfied; for example, number of populations or improvement of the best solution.



#### **GA-Reproduction Rules**

#### **Crossover** (Recombination)

During reproduction, **genes** from parents are recombined to form in some way the whole new chromosome.

#### **Mutation**

Mutation changes the elements of DNA of the newly created offspring.

#### Fitness evaluation

Fitness function is used to evaluate the success of the new offspring.

## GA-the basic algorithm

Loop

**[Start]** Generate random population of n chromosomes (suitable solutions for the problem)

[New population] Create a new population by repeating following steps until the new population is complete

**[Selection]** Select two parent chromosomes from a population according to their fitness (the better fitness, the bigger chance to be selected)

[Crossover] With a crossover probability cross over the parents to form a new offspring (children). If no crossover was performed, offspring is an exact copy of parents.

- **[Mutation]** With a mutation probability mutate new offspring at each locus (position in chromosome).
  - **[Fitness]** Evaluate the fitness f(x) of each chromosome x in the population
  - [Accepting] Place new offspring in a new population
- **[Test]** If the end condition is satisfied, stop, and return the best solution in current population
- -- [Replace] Use new generated population for a further run of algorithm

### Chromosome representation

Encoding a chromosome by **bit** strings within a given domain.

The chromosome should in some way contain information about solution which it represents.

Each chromosome has one binary string.

Each bit in this string can represent some characteristic of the solution. For example, the whole string can represent a number ( ex.0100 = 4).

Chromosome 01	1101 1001 0011 1011
Chromosome 02	1011 1110 0001 1001

#### Cross-over

**Crossover** selects genes from parent chromosomes and creates a new offspring. The simplest way how to do this is to choose randomly a **crossover point** and everything before this point point copy from a first parent and then everything after a crossover point copy from the second parent.



#### **Mutation**

Usually, **mutation** takes place after a **crossover** has been performed,.

This is to prevent falling all solutions in population into a **local optimum** of solved problem.

Mutation changes randomly the new offspring.

For example, in a binary-encoded presentation,

we can switch a few randomly chosen bits from 1 to 0, or vice versa.



# Examples: Crossover



# **Examples: Mutation**



### Chromosome Encoding - an array of real numbers



## Encoding scheme

	double representation										
	Chromoso P0	ome	0.75 0.	82 0.34	4 0.51	0.96	0.29	0.97 0.35	5 0.86	0.45	
binary st	inary string representation										
Chromo P(	osome 0	000011	11010001	01010111	10000100	11110110	0100101	000	1011010	11011100	0111010

conversion from binary string to integer

1111111	255
0000000	0

 $0.75 * 255 \sim = 195$  $195 = 128+64+2+1 = 2^7+2^6+2^1+2^0 = 11000011$