



AQUINAS'S COSMOLOGICAL ARGUMENT

Presented By: John Bistline and James Tsui
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Argument

Premise 1: some things move

$$(\exists x) M(x)$$

Premise 2: anything that moves does so because of something else

$$(\forall x) (M(x) \rightarrow ((\exists y) (O(x,y) \& P(y,x))))$$

Therefore, if whatever moves something itself moves, it must be moved by a third thing

$$(\forall x) ((\forall y) ((P(x,y) \& M(x) \& O(x,y)) \rightarrow ((\exists z) (P(z,x) \& O(z,x) \& O(z,y))))))$$

Therefore, if there were an infinite sequence of movers, there would be no first movers, and hence no movers at all

$$I \rightarrow (\neg(\exists x) U(x) \& \neg(\exists y)(\exists z) (P(y,z)))$$

Therefore, there cannot be an infinite sequence of movers

$$\neg I$$

Conclusion: there is a first, unmoved mover

$$(\exists x) U(x)$$

Interpretation

Domain: the universe and everything in it

<i>Syntactic Item</i>	<i>Interpretation</i>
I	there is an infinite sequence of movers
$M(u)$	u moves
$U(u)$	u is an unmoved mover
$O(u,v)$	u is a distinct object from v (i.e., u does not equal v)
$P(u,v)$	u pushes v (i.e., u is the mover of v)

$$(\forall u) (U(u) \rightarrow ((\exists v) P(u,v) \& \neg(\exists w) P(w,u) \& \neg M(u)))$$

Hidden Premise

$$I \vee (\exists x) U(x)$$

Defining the "Unmoved Mover"

-*nothing pushes it and not moving:* $U(u)$ is defined as it is above (i.e., in the strong sense of the term "unmoved mover")

-*nothing pushes it and moving:* $U(u)$ defined by $(\forall u) (U(u) \rightarrow ((\exists v) P(u,v) \& \neg(\exists w) P(w,u) \& M(u)))$; this is the weak sense of the term; this definition makes the conclusion contradict the second premise (i.e., line two)