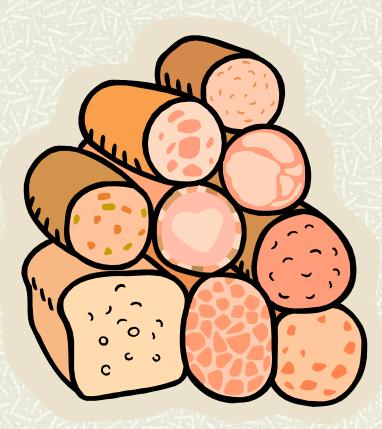
Demand

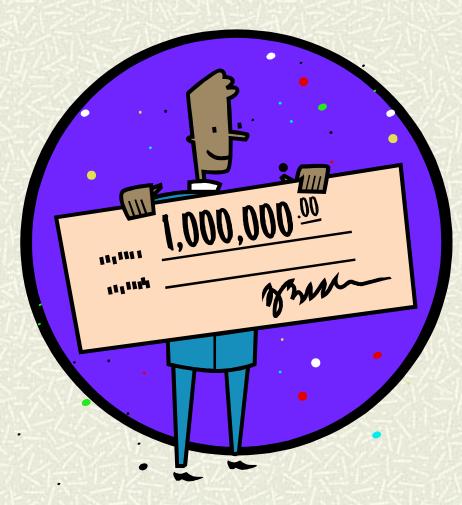


Consumer Demand

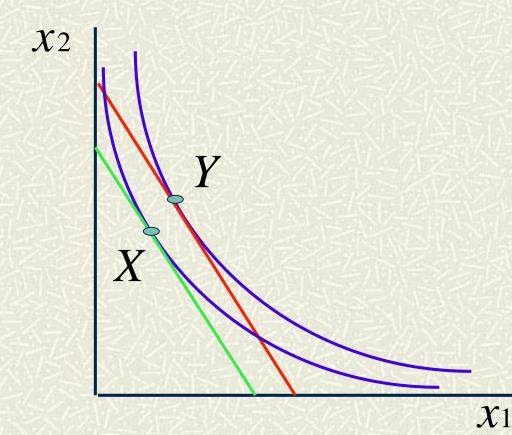
Consumer's demand functions:

$$x_1 = x_1(p_1, p_2, m)$$
$$x_2 = x_2(p_1, p_2, m)$$

Changes in Income Given Prices



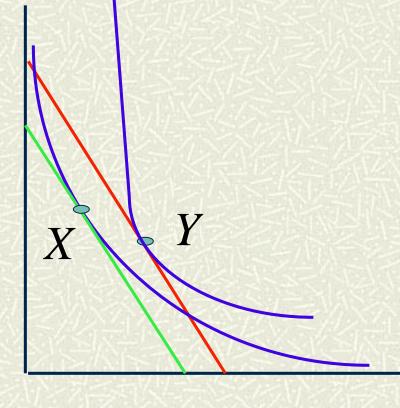
Normal Goods



Both goods 1 and 2 are normal $\frac{\partial x_1(p_1, p_2, m)}{\partial m} > 0$ $\frac{\partial x_2(p_1, p_2, m)}{\partial m} > 0$

An Inferior Good

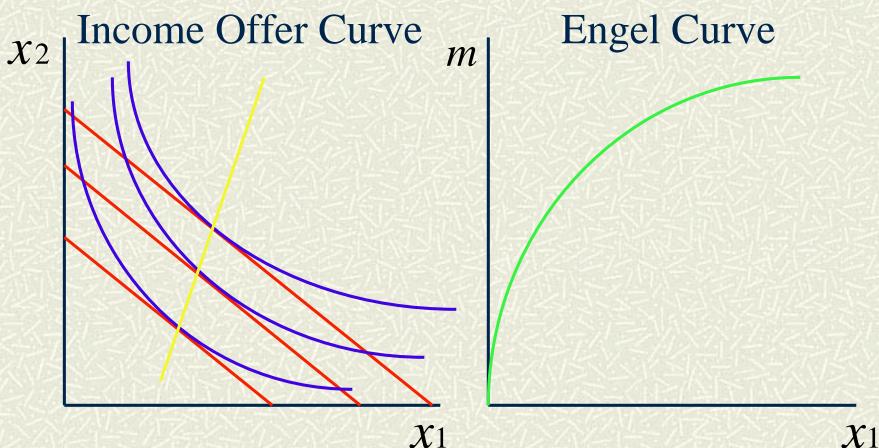
 \mathcal{X}_2



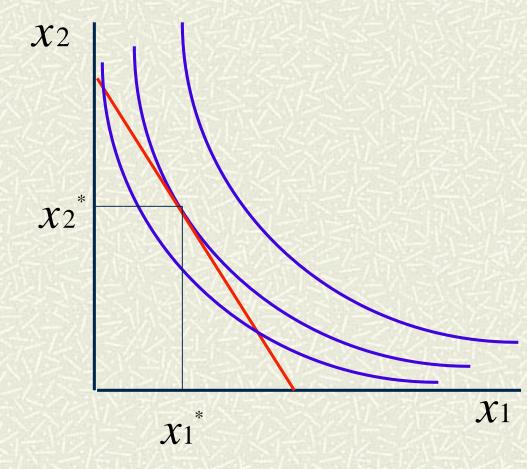
I Good 1 is normal.
I Good 2 is inferior:

 $\frac{\partial x_2(p_1, p_2, m)}{\partial m} < 0$

Income Offer and Engel Curves

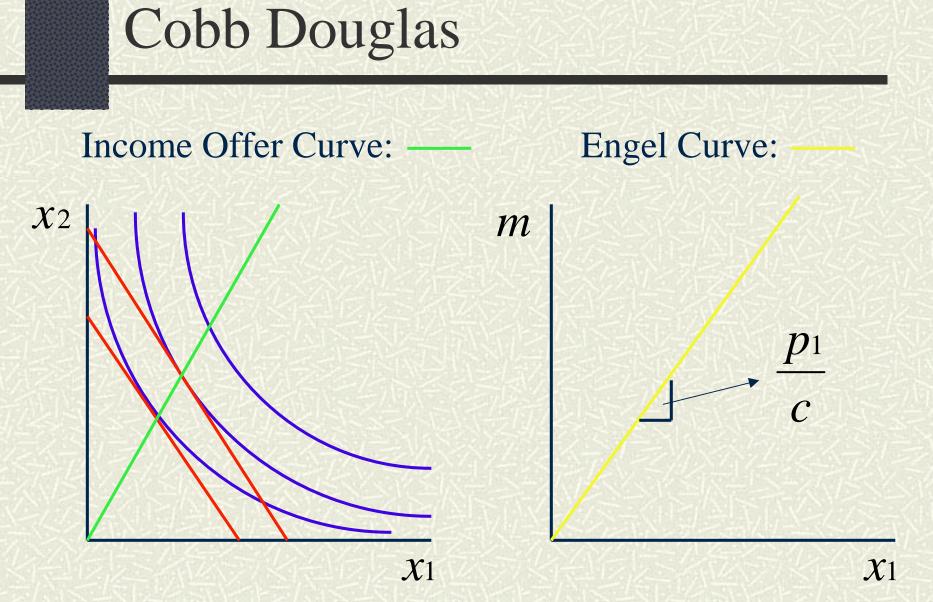


Cobb-Douglas



good 1: $x_1 = c \frac{m}{m}$ p_1 **#** Demand function for good 2:

$$x_2 = (1-c)\frac{m}{p_2}$$



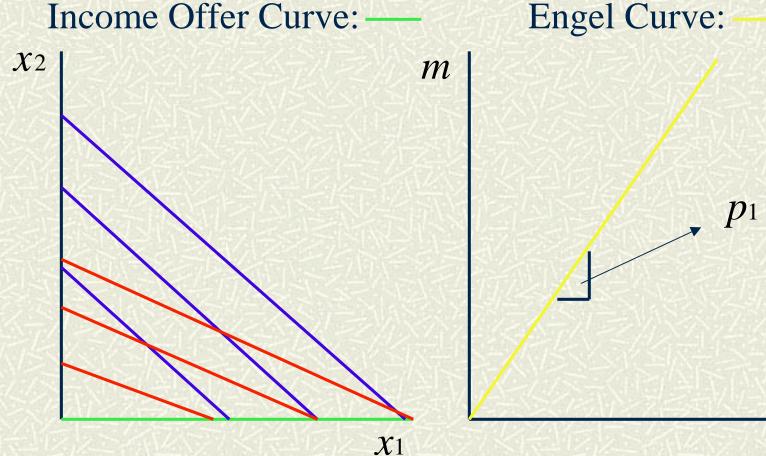
Perfect Substitutes

 χ_2 p_2 X_1 X_1

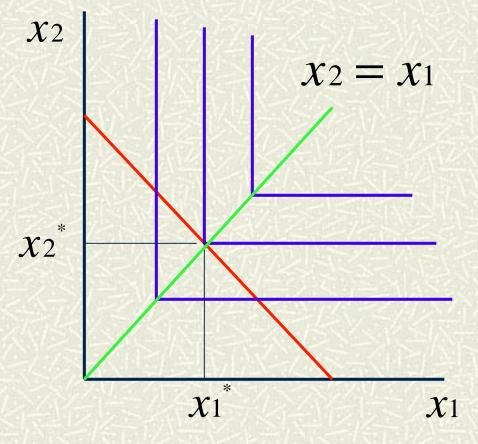
Demand function for good 1:

 $x_1 = m/p_1$ if $p_1 < p_2$ $x_1 = 0$ if $p_1 > p_2$ $x_1 = (0, m/p_1)$ if $p_1 = p_2$

Perfect Substitutes (with $p_1 < p_2$)



Perfect Complements

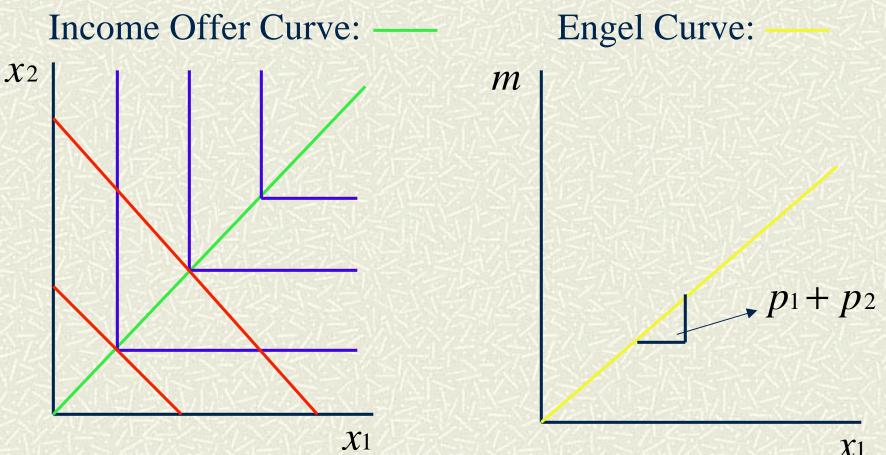


\ddagger Optimal choice: $\chi_2 = \chi_1$

Budget line: $p_1x_1 + p_2x_2 = m$

Demand function for $goods \ 1 \text{ and } 2:$ $x_1 = x_2 = \frac{m}{p_1 + p_2}$

Perfect Complements



Homothetic Preferences

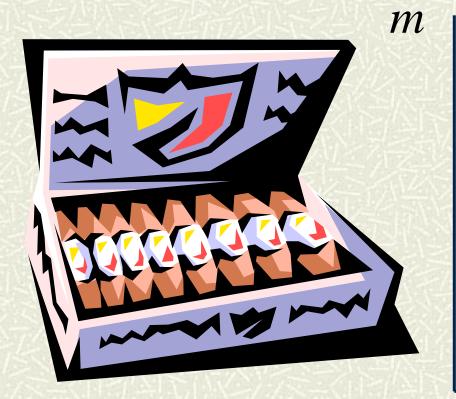
Consumer's preferences only depend on the ratio of the two goods:

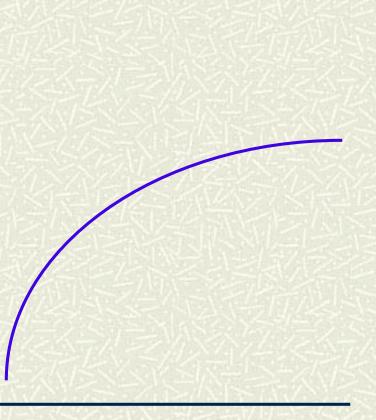
> If Then, for t > 0 $(x_1, x_2) \sim (y_1, y_2)$ $(tx_1, tx_2) \sim (ty_1, ty_2)$

Example: Cobb-Douglas, Perfect substitutes, Perfect Complements.

Properties: straight income offer curve and Engel curve.

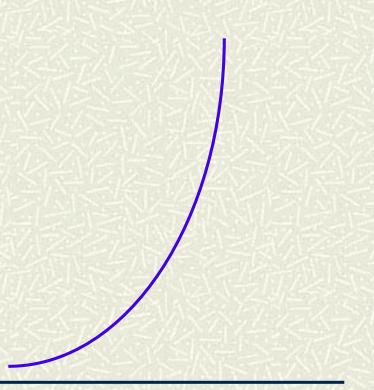






Necessary Good



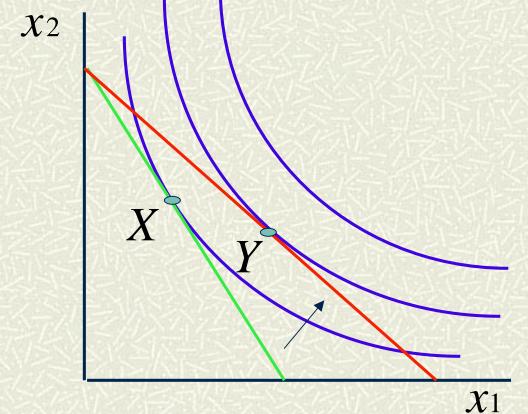


Changes in Prices

 Fix income and price of one good and change price of the other.



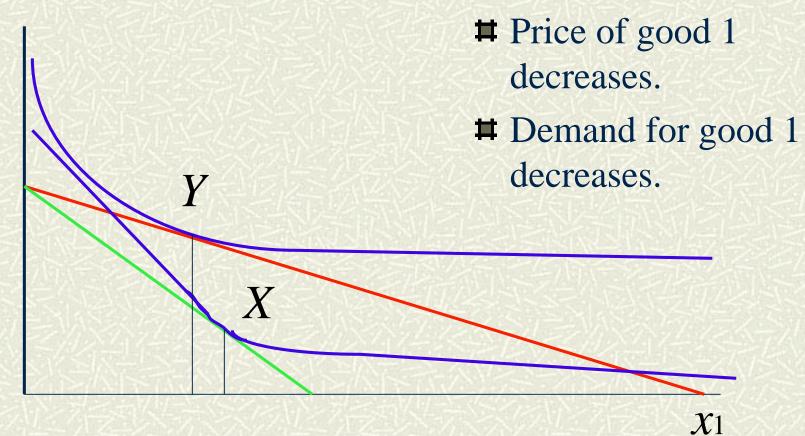
Ordinary Goods



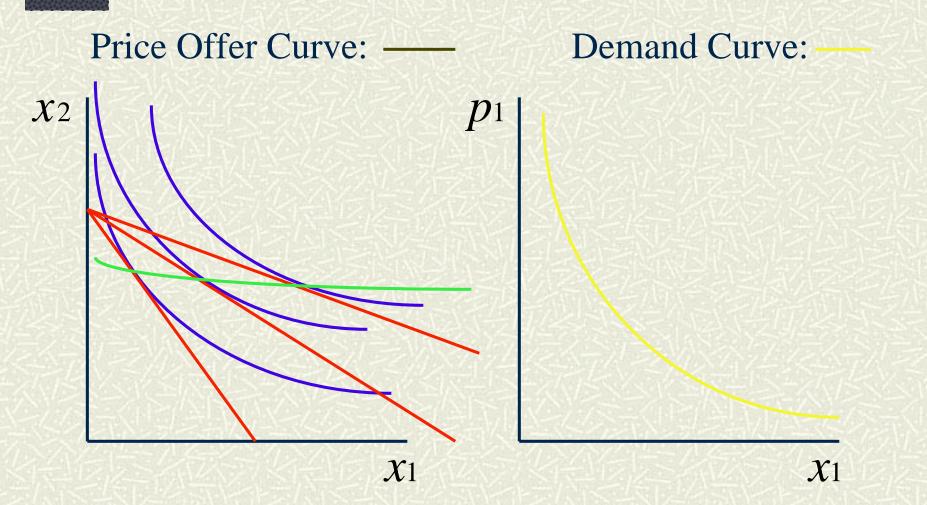
Price of good 1 decreases.
Demand for good 1 increases.

Giffen Goods

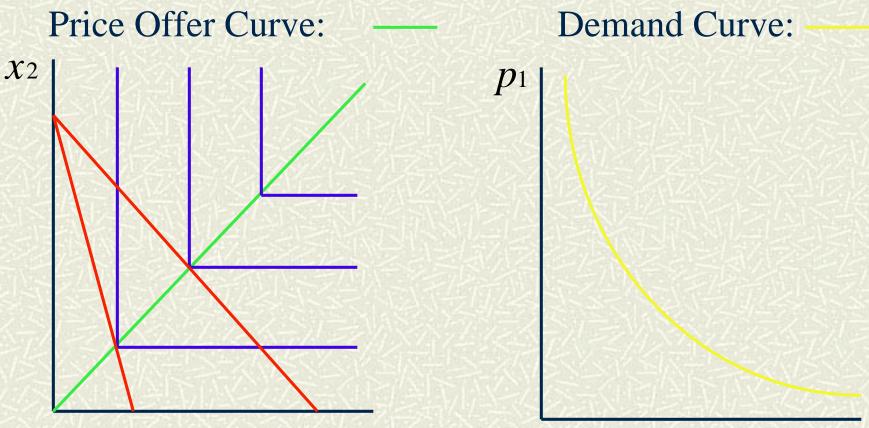
 \mathcal{X}_2



Price Offer and Demand Curves



Perfect Complements



 X_1

Substitutes

Good 1 is a substitute for good 2 when:

 $\frac{\partial x_1(p_1, p_2, m)}{\partial p_2} > 0$



Complements

Good 1 is a complement to good 2:

 $\frac{\partial x_1(p_1, p_2, m)}{\partial p_2} < 0$



Inverse Demand Function

Consider a demand function

$$x_1 = x_1(p_1, p_2, m$$

The inverse demand function is

$$p_1 = p_1(x_1) \quad \longrightarrow \quad p_1 = c \frac{m}{x_1}$$

Cobb-Douglas example:

$$\rightarrow x_1 = c \frac{m}{p_1}$$

Inverse Demand Curve

